

# Bootstrap Your Own Variance



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## Abstract

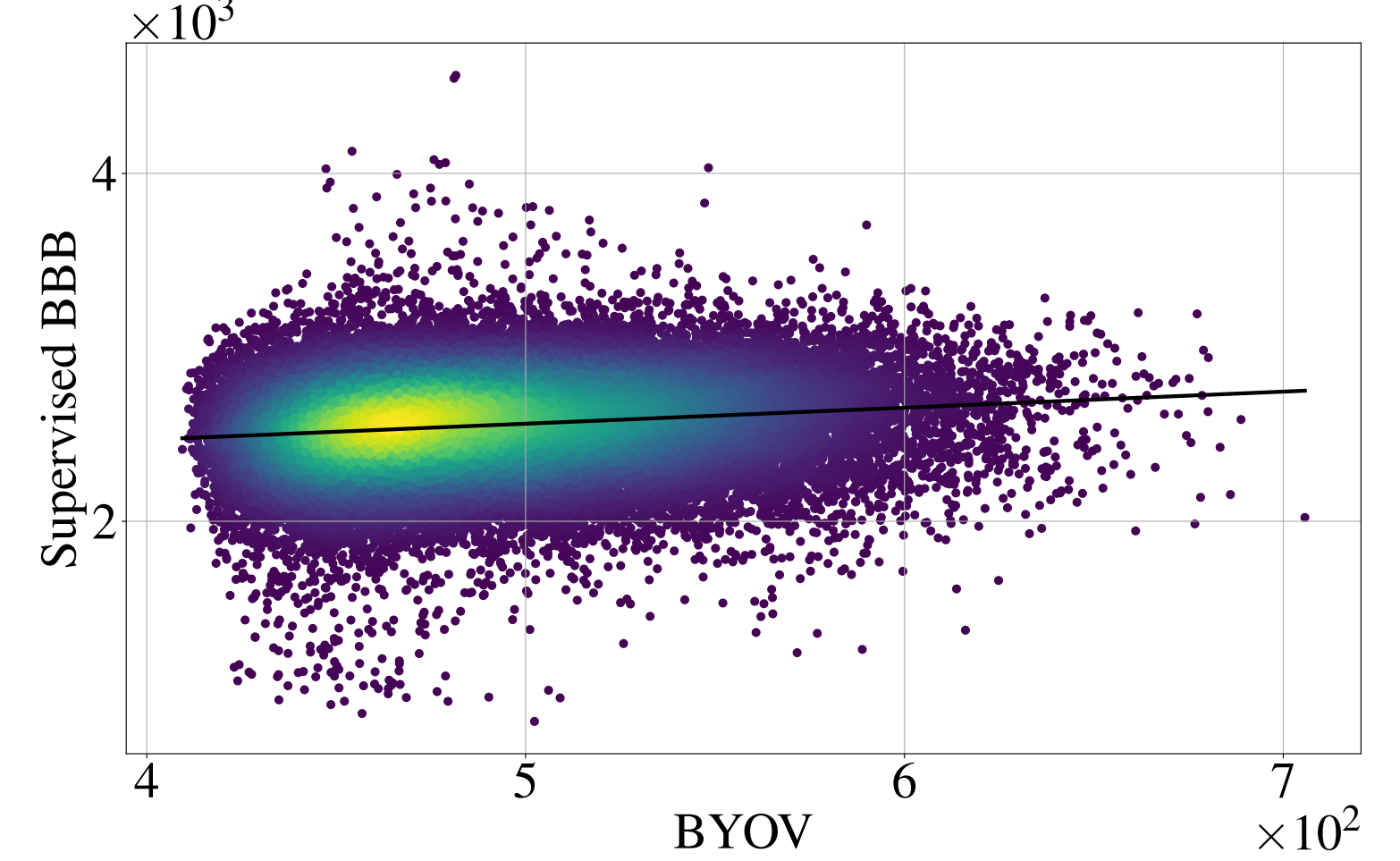
### Uncertainty Estimation

- Estimation of uncertainty is important for many applications.
- Uncertainty estimation typically requires labels.
- Can we estimate epistemic uncertainty without labels such that there exists a distributional relationship with the model trained with labels?

### Background

- Bayes-by-backprop (BBB) assumes a parametric tractable distribution  $q(w|\theta)$  and maximizes an evidence lower bound (ELBO).
- BYOL is a distillation based self-supervised learning approach that learns an augmentation invariant latent representation.

### BYOV vs Supervised BBB

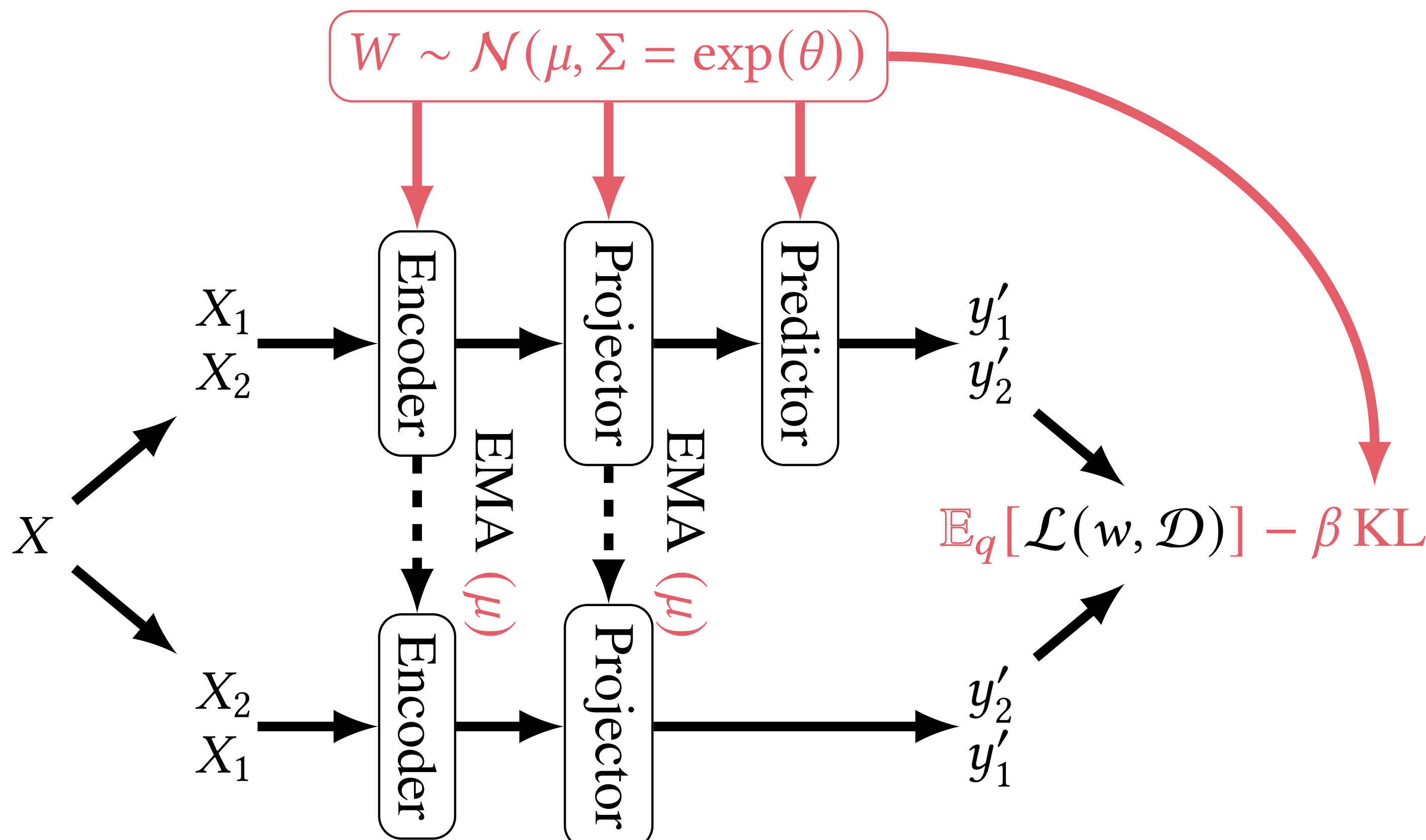


Variance between BYOV & Supervised BBB can be modeled as a Gaussian.

## Methods

### BYOV Architecture

BYOL + BBB with an approximate parameter posterior



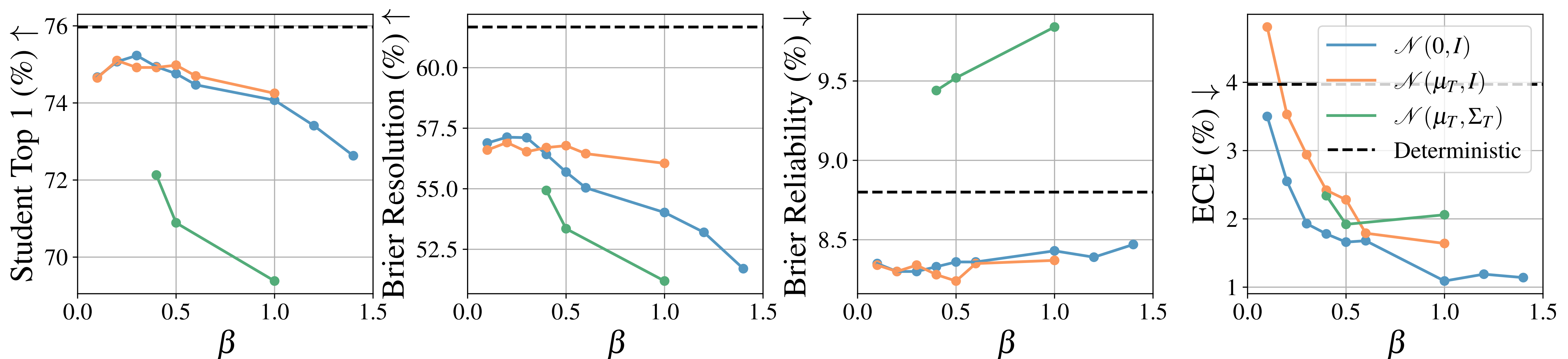
### Generalized Evidence Lower Bound

SSL with an ELBO

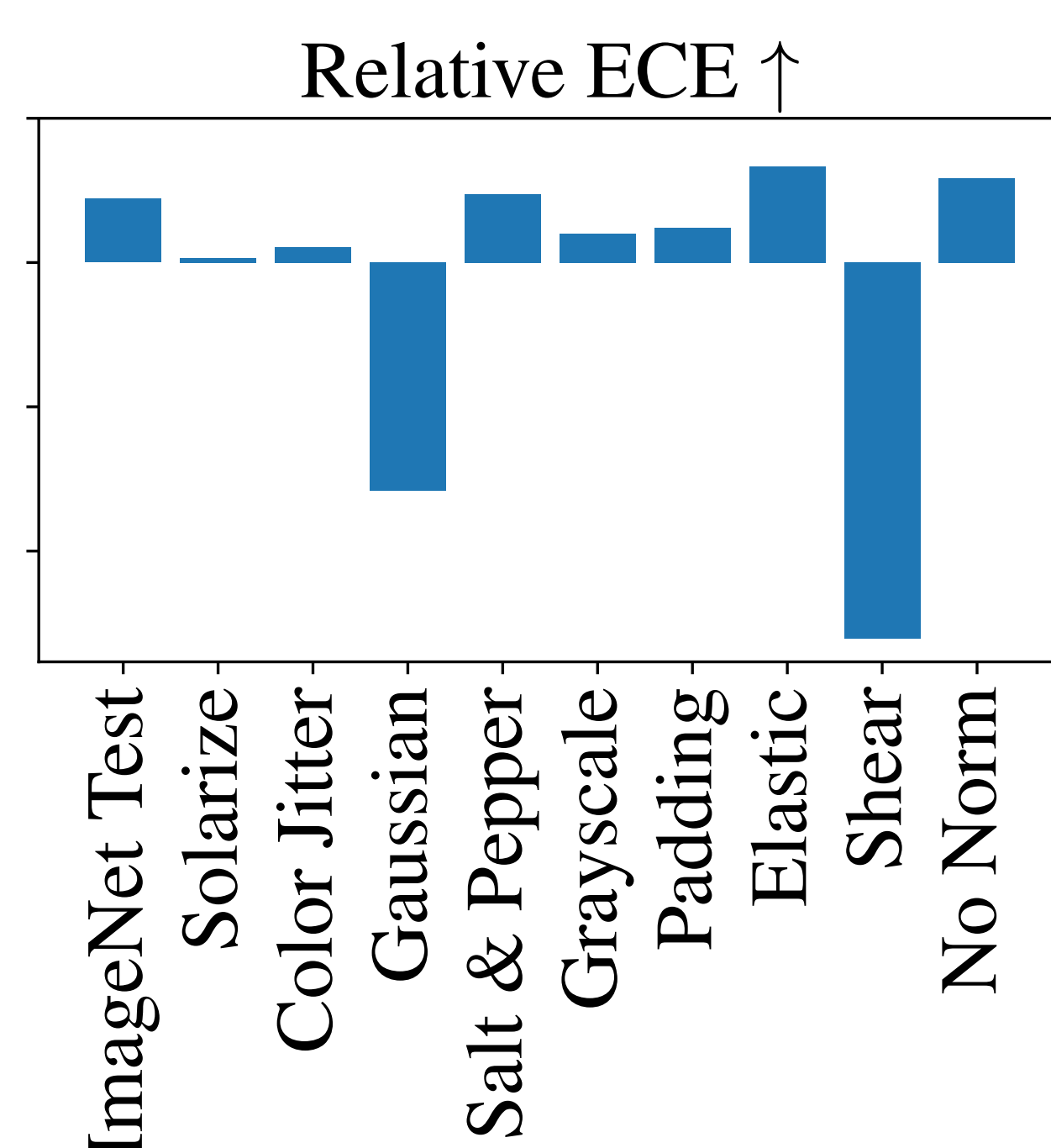
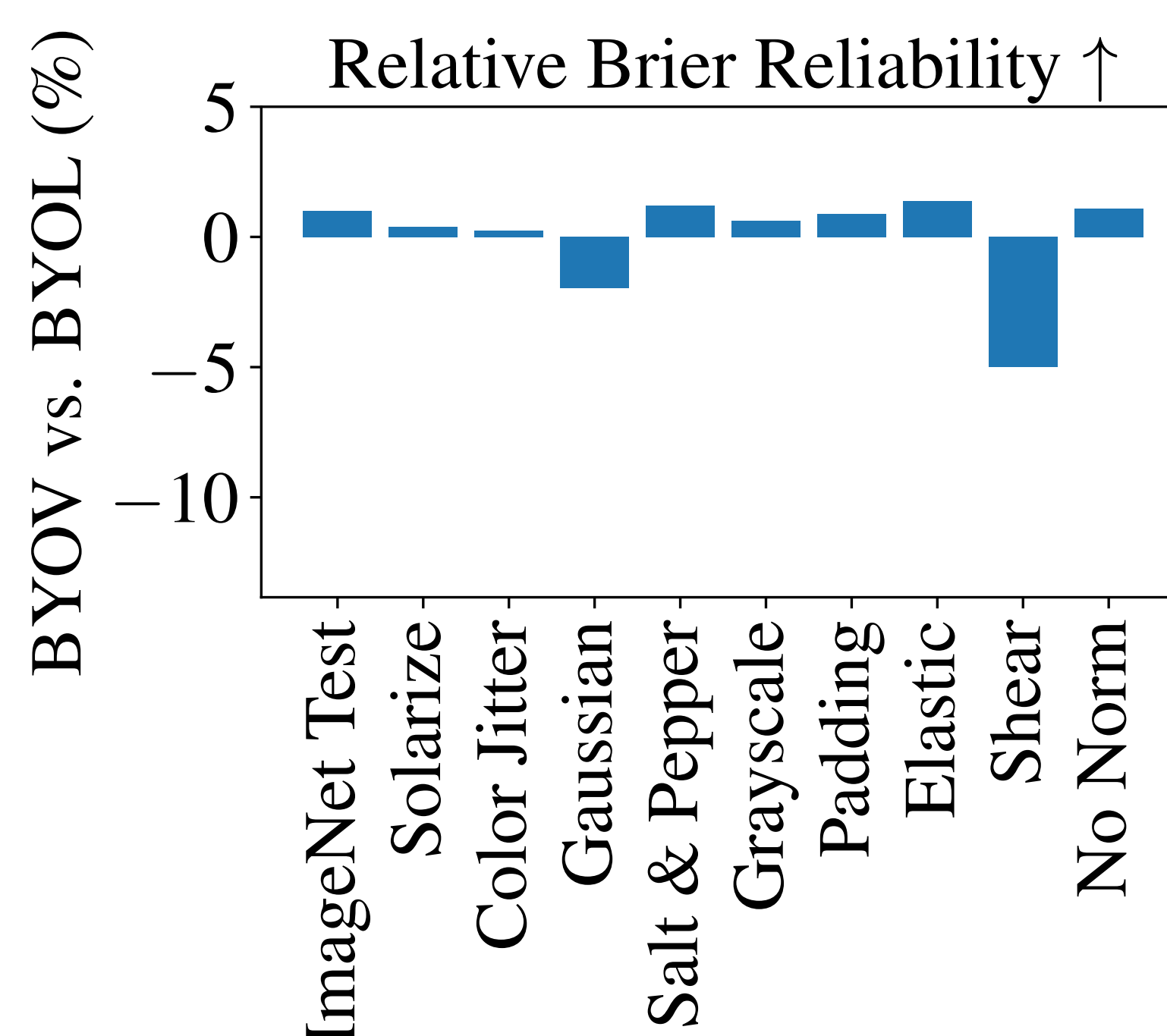
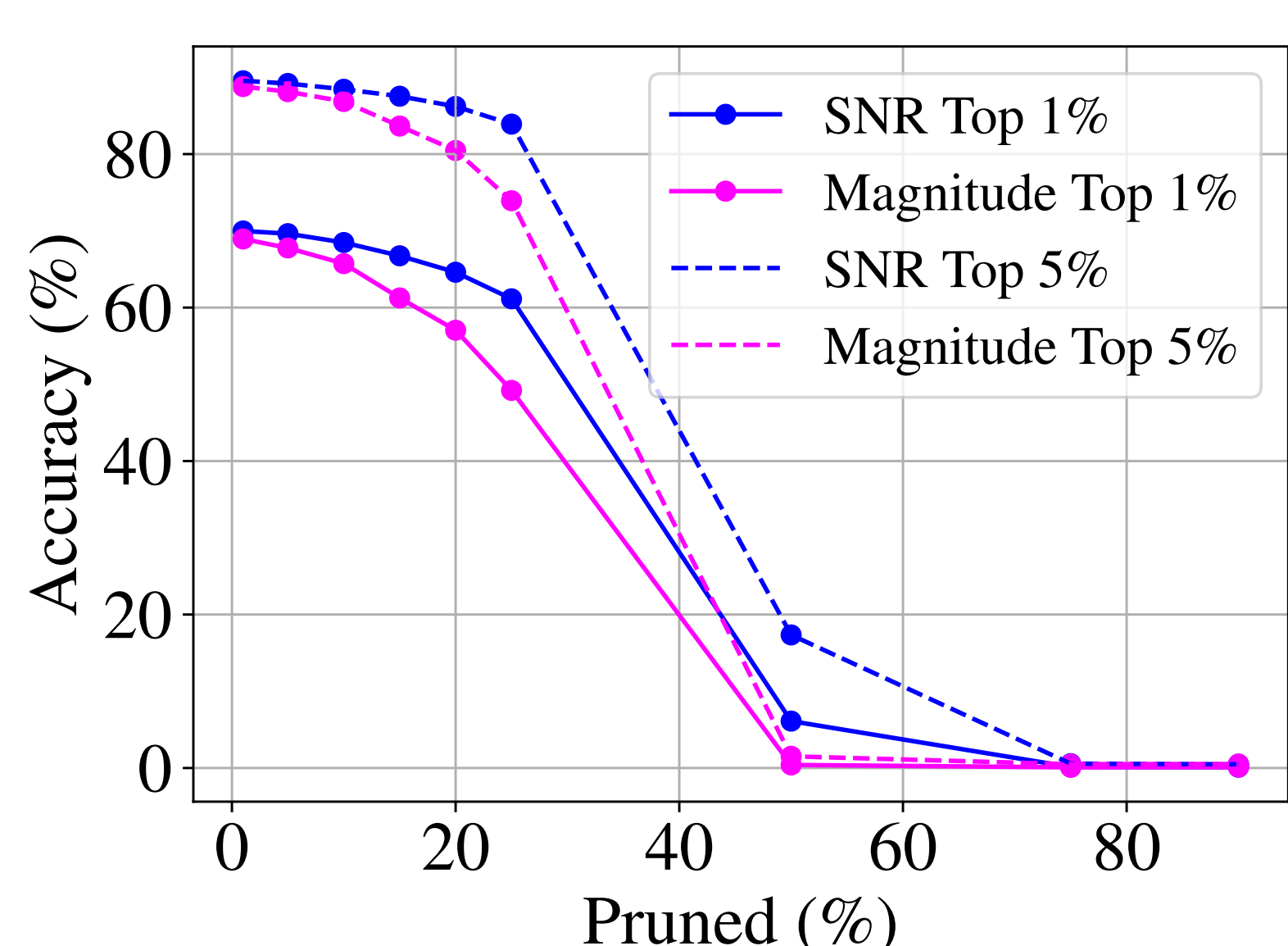
$$\underbrace{\mathbb{E}_{q(w|\theta)}[\mathcal{L}(w, \mathcal{D})]}_{\text{cosine similarity}} - \beta \text{KL}[q(w|\theta) || p(w)]$$

- BYOL minimizes a cosine similarity against an exponential moving average teacher.
- Cosine similarity does not prescribe a likelihood.
- BYOV bootstraps theory from generalized posterior and use a generalized likelihood.

## Results



- BYOV outperforms deterministic BYOL for ECE (+2.83%) and reliability (+1.03%).
- BYOV underperforms linear probing (-0.4%) and resolution (-0.57%) against deterministic BYOL.



- Left: BYOV enables signal-to-noise ratio pruning which outperforms magnitude based pruning (without retraining).
- Right: For OOD augmentations BYOV outperforms BYOL everywhere except shearing and additive Gaussian noise.