DM2C: Deep Mixed-Modal Clustering

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Why multiple modalities?



Ubiquitous multi-modal data

• The related information among multiple modalities helps us to understand the data.

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Supervised Learning under Multiple Modalities

- Supervision comes from class labels and modality pairing.
 - Modality pairing: a sample in modality A and another sample in modality B represent the same instance.
- Manual annotations: expensive and laborious. When involving multiple modalities, the labeling is even more complicated than that for single modal data.
- We turn to unsupervised learning under multiple modalities since it works without data labels.

Mixed-modal Setting: Fully-unsupervised Learning

- Traditional unsupervised multi-modal learning still requires extra pairing information among modalities for feature alignment.
 - *E.g.*, partial modality pairing, 'must/cannot link' constraints, co-occurrence frequency...
- Mixed-modal data: each instance is represented in only one modality.

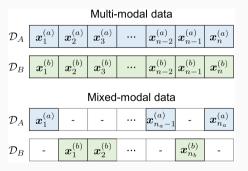
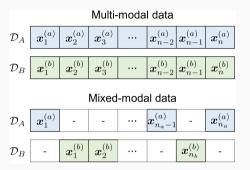


Figure 1: Examples of multi-modal and mixed-modal data with two modalities.

Mixed-modal Clustering: The Goal



- Dataset $\mathcal{D} = \{x_i\}_{i=1}^n$ mixed from two modalities.
- $\quad \blacksquare \quad \mathcal{D} \rightarrow \{\pmb{x}_i^{(a)}\}_{i=1}^{n_a} \cup \{\pmb{x}_j^{(b)}\}_{j=1}^{n_b}, \text{ where } n=n_a+n_b.$
- Mixed-modal clustering aims at learning unified representations for the modalities and then grouping the samples into k categories.

How to Learn Unified Representations?

Choice 1: learn a joint semantic space for all the modalities

hard to find the correlation among all the modalities when pairing information is not available

Choice 2: learn the translation across the modalities

- easy to obtain the cross-modal mappings under the guidance of *cycle-consistency*
- modality unifying: transforming all the samples into a specific modality space

Framework: Overview

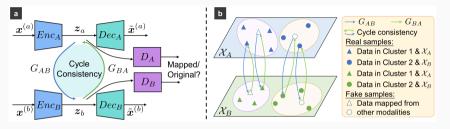
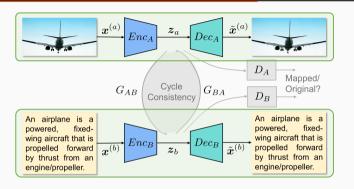


Figure 2: Overview of the proposed method.

Modules

- Modality-specific auto-encoders: to learn latent representations for each modality.
- Cross-modal generators: to learn mappings across modalities with unpaired data.
- Discriminators: to distinguish whether a sample is mapped from other modality spaces.

Framework: Module I

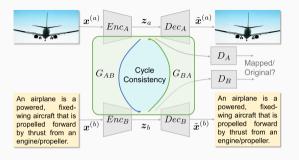


Modality-specific auto-encoders

Latent representations for each modality are learned by single-modal data reconstruction:

$$\mathcal{L}_{\text{rec}}^{A}(\Theta_{AE_{A}}) = \|\mathbf{x}_{i}^{(a)} - Dec_{A}(Enc_{A}(\mathbf{x}_{i}^{(a)}))\|_{2}^{2},
\mathcal{L}_{\text{rec}}^{B}(\Theta_{AE_{B}}) = \|\mathbf{x}_{i}^{(b)} - Dec_{B}(Enc_{B}(\mathbf{x}_{i}^{(b)}))\|_{2}^{2}.$$
(1)

Framework: Module II



Cross-modal generators

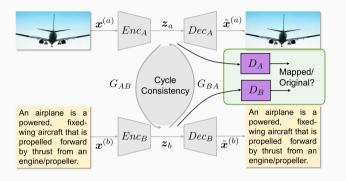
Mappings across modalities are constrained by cycle-consistency:

$$\mathcal{L}_{cyc}^{A}(\boldsymbol{\Theta}_{G_{AB}}, \boldsymbol{\Theta}_{G_{BA}}) = \mathbb{E}_{\boldsymbol{z}_{a} \sim \mathcal{X}_{A}} [\|\boldsymbol{z}_{a} - G_{BA}(G_{AB}(\boldsymbol{z}_{a}))\|_{1}],$$

$$\mathcal{L}_{cyc}^{B}(\boldsymbol{\Theta}_{G_{AB}}, \boldsymbol{\Theta}_{G_{BA}}) = \mathbb{E}_{\boldsymbol{z}_{b} \sim \mathcal{X}_{B}} [\|\boldsymbol{z}_{b} - G_{AB}(G_{BA}(\boldsymbol{z}_{b}))\|_{1}].$$
(2)

Generators: produce fake samples that are transformed from other modalities rather than originally lying in a specific modality space.

Framework: Module III



Discriminators

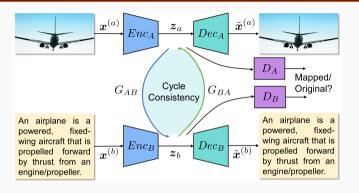
Discriminators: distinguish whether a sample is mapped from other modality spaces.

Games between generators and discriminators:

$$\mathcal{L}_{\text{adv}}^{\mathsf{A}}(\Theta_{G_{BA}}, \Theta_{D_{A}}) = \mathbb{E}_{\mathsf{z}_{a} \sim \mathcal{X}_{A}}[D_{\mathsf{A}}(\mathsf{z}_{a})] - \mathbb{E}_{\mathsf{z}_{b} \sim \mathcal{X}_{B}}[D_{\mathsf{A}}(G_{B\mathsf{A}}(\mathsf{z}_{b}))],$$

$$\mathcal{L}_{\text{adv}}^{\mathsf{B}}(\Theta_{G_{AB}}, \Theta_{D_{B}}) = \mathbb{E}_{\mathsf{z}_{b} \sim \mathcal{X}_{B}}[D_{\mathsf{B}}(\mathsf{z}_{b})] - \mathbb{E}_{\mathsf{z}_{a} \sim \mathcal{X}_{A}}[D_{\mathsf{B}}(G_{\mathsf{AB}}(\mathsf{z}_{a}))].$$
(3)

Framework: Objective Function



Objective Function
$$\min_{\substack{\Theta_{G_{AB}},\Theta_{G_{BA}}\\\Theta_{AE_{A}},\Theta_{AE_{B}}}} \Theta_{D_{A}}^{\max} \mathcal{L}_{adv}^{A} + \mathcal{L}_{adv}^{B} + \lambda_{1}(\mathcal{L}_{cyc}^{A} + \mathcal{L}_{cyc}^{B}) + \lambda_{2}(\mathcal{L}_{rec}^{A} + \mathcal{L}_{rec}^{B}) \tag{4}$$

Thank You for Your Attention!

See you at the poster session!

Wed Dec 11th 10:45AM – 12:45PM @ East Exhibition Hall B+C #63

